

Medium effects on ϕ decays to dilepton and kaon-antikaon pairs in relativistic heavy ion reactions

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Abstract. We consider the role of rescattering of secondary kaons on the dilepton branching ratio of the ϕ meson. In-medium mass modifications and broadening of kaons and ϕ mesons are taken into account. We find in the framework of a Bjorken scenario for the time evolution of the expanding fireball that the ϕ yield from dimuons is moderately or at least only slightly enhanced compared to that from kaon-antikaon pairs. The relation to experimental yields measured by the NA49, NA50 and CERES Collaborations at CERN SPS and the PHENIX Collaboration at RHIC is discussed.

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1 Introduction

Relativistic heavy ion (RHI) collisions present an unique opportunity to create nuclear matter at high density and temperature where hadron properties become different and the phase transition to quark matter with signature of the deconfinement and restoration of chiral symmetry is expected. Strangeness enhancement in relativistic nucleus-nucleus collisions compared to nucleon-nucleon collisions has been suggested as a possible signal for the formation of the quark gluon plasma (QGP) [1]. The dominant production of $s\bar{s}$ pairs via gluon-gluon interaction in the plasma may result in an enhanced number of strange and multi-strange particles produced after hadronization. In particular, the production and decay of the ϕ meson have been long recognised as an important probe for the state of matter produced in RHI collisions [1, 2]. The possible enhancement of its yield has been suggested as an important signature of the formation of a QGP state [2], in which free $s\bar{s}$ pairs would coalesce to form ϕ mesons, whereas their production in pp collisions is suppressed according to the Okubo-Zweig-Iizuka rule [3].

Phi meson production was measured in central Pb+Pb collisions at 158 A GeV at the CERN SPS. The NA49 Collaboration identified the phi meson via the decay channel $\phi \rightarrow K^+K^-$ [4], while the NA50 Collaboration identified it via the $\phi \rightarrow \mu^+\mu^-$ decay [5]. It was found that the extracted number of phi mesons from the dimuon channel exceeded those number extracted from the K^+K^- channel by a factor between two and four [6].

It has been argued that this difference could be at least partially attributed to the fact that not all phi mesons can be reconstructed via invariant mass technique applied to K^+K^- pairs. Due to the rescattering of the K^+ and K^-

in the medium, the reconstructed invariant mass could result outside the original phi meson peak in such a way that some $\phi \rightarrow K^+K^-$ events contribute to the experimental background rather than to the measured yields [7]. The modification of the visible ϕ spectra due to kaon rescattering was first investigated within a basic RQMD model, showing that kaon rescattering can account for the observed rapidity distributions, but not for the differences in the m_t spectra, neither the inverse slopes nor the relative yields, with a resulting suppression of the ϕ meson yield via the hadronic $K\bar{K}$ channel of 40-60% [7]. This effect has been further studied in the framework of a spherically expanding fireball model by including different possible changes (increasing/decreasing) of kaon masses in the hadronic medium [8], as well as in the framework of a multi-phase transport (AMPT) model by including density dependent in-medium modifications of kaons and ϕ mesons [9]. In none of these cases the large difference between the two SPS experiments could be explained. Such a large enhancement of four at low transverse mass from dimuon over the dikaon channel could only be explained in the AMPT model by an ad hoc increase of the phi meson number from the initial stage by about a factor of three, that might then suggest that other mechanisms, such as formation of colour ropes or quark-gluon plasma, are needed for ϕ meson production [9].

To shed light on this so called “ ϕ puzzle”, two experimental collaborations planned to measure the ϕ yield simultaneously in both $\phi \rightarrow e^+e^-$ and $K\bar{K}$ channels at two different energy regimes, namely the CERES Collaboration at CERN SPS and the PHENIX Collaboration at the BNL Relativistic Heavy Ion Collider (RHIC). The CERES Collaboration measured ϕ meson production in central Pb + Au collisions at $E_{lab} = 158$ A GeV. Recently

reported data show that the yields and inverse slope parameters in both decay modes agree within errors. A yield in the e^+e^- decay mode larger than 1.6 times the yield in the K^+K^- channel is excluded at 95% CL [10]. The PHENIX Collaboration measured the ϕ yield in Au + Au and d + Au collisions at $\sqrt{s_{NN}} = 200$ GeV [11, 12, 13, 14]. Whereas definitive results on the ϕ yield at mid-rapidity in the Au + Au collisions as measured in the K^+K^- channel have been already reported [12], only preliminary results on the corresponding dilepton channel are available so far [11, 13, 14]. According to recently reported preliminary production results, the temperatures measured in the two decay channels are in agreement within errors, while the yield in the e^+e^- channel seems to be larger than in the K^+K^- decay channel. However, the errors in the dielectron channel, both statistical and systematic, are still too large for a definite statement [14]. On the other side, recently reported preliminary data on the yields of both $\phi \rightarrow K^+K^-$ and $\phi \rightarrow e^+e^-$ in d + Au collision show that the two data samples are consistent in both the total invariant yield and inverse slope [13].

In heavy ion reactions at energies reached at RHIC, the medium after hadronization is baryon dilute but meson rich [15]. Since by far the most abundant particles are pions, one can speak about pion matter created in heavy ion collisions at RHIC energies. The kaon-pion gas was studied in detail within chiral perturbation theory (ChPT) in ref. [16], focusing thereby on the quark condensates. ChPT, proposed for the description of interactions of pseudo-scalar mesons at low energies, although being an adequate tool for studying the problem at low temperatures ($T \lesssim M_\pi$), cannot be applied at typical temperatures reached at RHIC ($T \sim 200$ MeV). At high temperatures, more phenomenological approaches come into play and ChPT provides a useful tool to control the low temperature limit of such phenomenological models.

In ref. [17], the modifications of kaon properties in isotopically symmetric hot pion matter has been calculated. Starting from kaon in-medium masses and mean field potentials calculated in isotopically symmetric pion matter to one loop of chiral perturbation theory, the results have been extended to RHIC temperatures using experimental data on πK scattering phase shifts. Kaon in-medium broadening and ϕ in-medium width were calculated as well. Here we are using the results of ref. [17] to investigate the role of the rescattering of secondary kaons inside the pion matter on the apparent dilepton branching ratio of the ϕ meson.

The paper is organised as follows. In section 2 we briefly review the main results of kaon in-medium masses and broadening, mean field potential, as well as of ϕ meson in-medium width in an isotopically symmetric hot gas of pions investigated in ref. [17]. In section 3 we discuss the identification of ϕ mesons from both the dimuon and dikaon channels and calculate its apparent dilepton branching ratio in the framework of an evolutionary Bjorken scenario for the expanding fireball. Summary and conclusions are finally given in section 4.

2 In-medium modification of kaons in pion matter

We start with the ϕ meson in-medium width, which can be written in the form

$$\Gamma_{\phi \rightarrow K\bar{K}}^* = \eta \Gamma_{\phi \rightarrow K\bar{K}}^{\text{vac}}, \quad (1)$$

where the η function

$$\eta = \frac{1}{\pi^2} \int \frac{p^{*3}(M_\phi^*, m_1^*, m_2^*)}{p^{*3}(M_\phi, M_K, M_K)} \frac{M_K^* \Gamma_K^* dm_1^{*2}}{(m_1^{*2} - M_K^{*2})^2 + (M_K^* \Gamma_K^*)^2} \times \frac{M_K^* \Gamma_K^* dm_2^{*2}}{(m_2^{*2} - M_K^{*2})^2 + (M_K^* \Gamma_K^*)^2} \quad (2)$$

contains the in-medium changes of the ϕ meson decay width. Here $p^{*3}(M_\phi, M_K, M_K)$ and $p^{*3}(M_\phi^*, M_K^*, M_K^*)$ are the kaon three-momenta in the ϕ meson rest frame for an in-vacuum and in-medium decay respectively. Γ_K^* is the kaon collision width. The in-medium masses are $M_\phi^* = M_\phi - 2V_K$ and $M_K^* = M_K + \delta M_K$, where V_K is the mean field potential and δM_K is the mass shift for kaons in isotopically symmetric pion matter [17].

The kaon collision width is given by

$$\Gamma_K^* = \frac{1}{6M_K(2\pi)^2} \sum_\ell \int \left[\left| A_\ell^{1/2}(s) \right|^2 + 2 \left| A_\ell^{3/2}(s) \right|^2 \right] dn_{s\pi} \times \Phi_2(\sqrt{s}, M_\pi, M_K), \quad (3)$$

where $A_\ell^I(s)$ are the on-shell partial wave projections of the πK amplitudes with total isospin $I = 1/2$ and $3/2$. The function $\Phi_2(\sqrt{s}, M_\pi, M_K) = \pi p^{*3}(\sqrt{s}, M_\pi, M_K)/\sqrt{s}$ is the invariant πK phase space with the c.m. momentum of the πK system $p^*(\sqrt{s}, M_\pi, M_K)$. The scalar pion density is defined by $dn_{s\pi} = dn_{v\pi}/(2E_\pi)$ via the number densities of pions given by the Bose distribution function

$$dn_{v\pi} = \frac{d^3 p_\pi}{(2\pi)^3} \left[\exp \left(\frac{E_\pi - \mu_\pi}{T} \right) - 1 \right]^{-1}, \quad (4)$$

where $\mu_{\pi^+} = -\mu_{\pi^-}$ is the π^+ chemical potential and $\mu_{\pi^0} = 0$.

The on-shell πK amplitudes have been calculated in ChPT to the order p^4 by several authors (see *e.g.* [18] and references therein). To lowest order p^2 , the off-shell πK amplitudes are given in ref. [19]. The self energy operator $\Sigma(M_K^2, M_K)$, mass-shift δM_K and mean field potential V_K for kaons in an isotopically symmetric pion gas have been calculated to leading order in pion density in chiral perturbation theory from the πK forward scattering amplitudes determined at the one loop level. The amplitudes were expressed in terms of the s - and p -wave πK scattering lengths and the s -wave effective ranges. The derived expressions, valid at $T \lesssim M_\pi$, can be extended via a more phenomenological approach to typical chemical freeze-out temperatures at RHIC ($T \sim 170$ MeV [20]) by rewriting the s -wave parts of the amplitudes A_ℓ^I in terms of phase shifts and by assuming the behaviour of the p -wave to be fixed by the a_1^I scattering length and

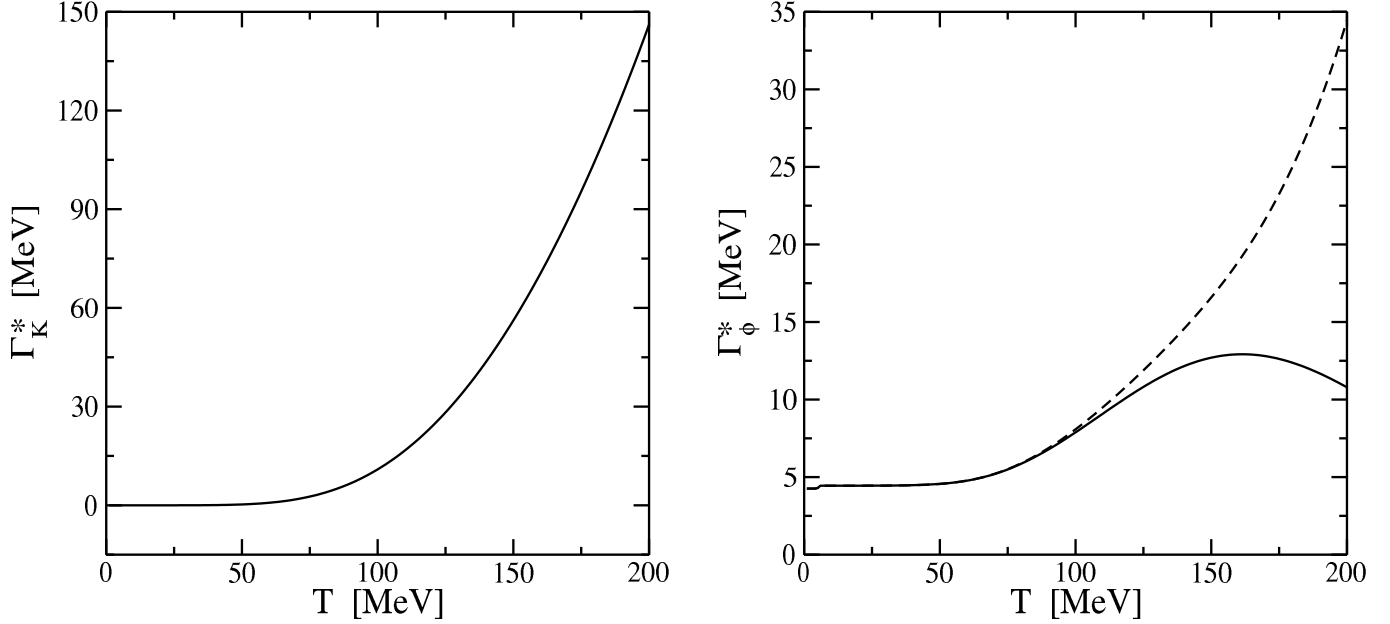


Fig. 1. Kaon collision width Γ_K^* (left) and in-medium ϕ meson width $\Gamma_{\phi \rightarrow K\bar{K}}^*$ (right, solid line) versus temperature T in isotopically symmetric pion matter. The dashed curve in the right panel corresponds to a phenomenologically increased ϕ width $\Gamma_{\phi}^{tot} = \Gamma_{\phi}^* + \Gamma_{\phi+\rho}^{coll}$, in which an additional collisional broadening by ρ mesons is taken into account (see the detailed discussion in section 3).

the resonance K^* . The resulting amplitudes satisfy unitarity. The experimental πK scattering phases are then well reproduced; the low-temperature limit matches smoothly with one-loop ChPT. For the details, we refer to ref. [17]. The resulting kaon collision width and in-medium ϕ meson width are shown in fig. 1 as a function of temperature in the left and right panel respectively.

3 Apparent dilepton branching ratio of the ϕ meson

Since the ϕ meson is unstable, it can only be detected from its decay products of either the kaon-antikaon pair or the lepton pair. Dileptons from ϕ decays leave the pion matter essentially undistorted by final state interactions, whereas the secondary kaons rescatter with the medium and can contribute to the experimental background. We investigate whether this can result in an increase of the apparent dilepton branching ratio or not.

Let us assume that ϕ mesons leave the heavy ion reaction at time τ . In the simple case of *constant widths*, as already pointed out in ref. [17], the probability for the kaons to leave the reaction zone without rescattering is given by

$$w \sim \int_0^\tau \exp(-2 \Gamma_K^* (\tau - t)) \exp(-\Gamma_\phi^* t) \Gamma_\phi dt. \quad (5)$$

The first factor in this expression is the probability for two kaons to escape from the reaction zone without rescattering. The second factor is the survival probability of the ϕ meson at time t . The last factor $\Gamma_\phi dt$ is the probability to

decay into the kaon pair during dt . Notice that $\Gamma_\phi^* dt$ has the meaning of a decay probability into the kaons which rescatter with pions from the surrounding medium. Selecting kaon pairs with invariant masses of the ϕ meson which suffered no rescatterings, the number of ϕ mesons observed in the $K\bar{K}$ channel equals

$$N_{K\bar{K}} \sim \exp(-\Gamma_\phi^* \tau) + \frac{\Gamma_\phi}{2 \Gamma_K^* - \Gamma_\phi^*} [\exp(-\Gamma_\phi^* \tau) - \exp(-2 \Gamma_K^* \tau)]. \quad (6)$$

The first term arises due to the vacuum decays, whereas the second term is given by eq. (5). The number of ϕ mesons observed in the dilepton channel equals

$$N_{e^+e^-} \sim B \exp(-\Gamma_\phi^* \tau) + B^* [1 - \exp(-\Gamma_\phi^* \tau)], \quad (7)$$

where B and B^* are the vacuum and in-medium dilepton branching ratios of the ϕ meson respectively. We assume that the dilepton channel suffers no in-medium modifications, *i.e.* $B^*/B = \Gamma_\phi/\Gamma_\phi^*$. Notice that the second term of eq. (7) can be also written as

$$\begin{aligned} B^* [1 - \exp(-\Gamma_\phi^* \tau)] &= \int_0^\tau \exp(-\Gamma_\phi^* t) \Gamma_{\phi \rightarrow e^+e^-} dt \\ &= \int_0^\tau \exp(-\Gamma_\phi^* t) B \Gamma_\phi dt, \end{aligned} \quad (8)$$

whose interpretation is straightforward, being $\exp(-\Gamma_\phi^* t)$ the survival probability of the ϕ meson at time t and $\Gamma_{\phi \rightarrow e^+e^-} dt$ its probability to decay into a dilepton pair during dt .

Turning now to *temperature dependent*, and therefore *time dependent widths*, the previous relations should be modified in the following way:

$$\begin{aligned} \exp(-2 \Gamma_K^* (\tau - t)) &\Rightarrow \exp\left(-2 \int_t^\tau \Gamma_K^*(t') dt'\right) \\ \exp(-\Gamma_\phi^* t) &\Rightarrow \exp\left(-\int_0^t \Gamma_\phi^*(t') dt'\right) \\ \exp(-\Gamma_\phi^* \tau) &\Rightarrow \exp\left(-\int_0^\tau \Gamma_\phi^*(t') dt'\right) \end{aligned}$$

so that the number of ϕ mesons decaying into $K\bar{K}$ pairs is determined by

$$N_{K\bar{K}} \sim \exp\left(-\int_0^\tau \Gamma_\phi^*(t') dt'\right) + \int_0^\tau \exp\left(-2 \int_t^\tau \Gamma_K^*(t') dt'\right) \times \exp\left(-\int_0^t \Gamma_\phi^*(t') dt'\right) \Gamma_\phi dt, \quad (9)$$

and those decaying into dileptons by

$$N_{e^+e^-} \sim B \exp\left(-\int_0^\tau \Gamma_\phi^*(t') dt'\right) + B \int_0^\tau \exp\left(-\int_0^t \Gamma_\phi^*(t') dt'\right) \Gamma_\phi dt. \quad (10)$$

Finally, the apparent dilepton branching ratio with respect to the vacuum branching ratio is then simply given by the ratio of both quantities (9) and (10), *i.e.*

$$\frac{B^{app}}{B} = \frac{N_{e^+e^-}}{N_{K\bar{K}}}. \quad (11)$$

In central relativistic heavy ion collisions the distribution of matter is approximatively uniform in rapidity, at least in the mid-rapidity region, and the geometry of the collision can be considered as cylindrically symmetric [21]. In the framework of a Bjorken scenario, extensively used to describe the space-time evolution of ultra-relativistic heavy ion collisions, the time and temperature of the evolving system are related according to [21] by

$$\frac{T(t)}{T_0} = \left(\frac{t_0}{t}\right)^{c_s^2}, \quad (12)$$

where c_s^2 is the sound velocity squared for a baryon less gas, and T_0 is the initial temperature of the system that is assumed to be fully thermalized after the time t_0 . Because our investigations are restricted to matter created in heavy ion reactions after hadronization, we have applied eq. (12) to describe the temporal evolution of the hadronized system reinterpreting t_0 and T_0 by the hadronization time t_h and hadronization temperature T_h respectively. For an ideal relativistic gas, the energy density and the pressure are related by $\epsilon = 3p$, therefore one finally has

$$\frac{1}{c_s^2} = \frac{d\epsilon}{dp} = 3 \quad \text{and} \quad \frac{T(t)}{T_h} = \left(\frac{t}{t_h}\right)^{-1/3}. \quad (13)$$

In section 2, expressions for the kaon collision width and in-medium ϕ meson width as functions of the temperature were given. The apparent dilepton branching ratio can be evaluated from eq. (11) using eqs. (9) and (10) by performing the $t \rightarrow T$ variable replacement according to the transformation law (13). In addition to the onset of the $T(t)$ evolution, the parameters T_h and in particular t_h determine mainly the slope of the temperature decrease with ongoing expansion. Thus, both parameters may strongly influence the final results in the following way: the larger T_h and t_h are, *i.e.* the slower the hadronic phase cools down, the stronger the in-medium effects are. The resulting ratios B^{app}/B for three different sets of these parameters are shown in fig. 2 as a function of the phi mesons's escape time τ . First of all, we chose in our model cal-

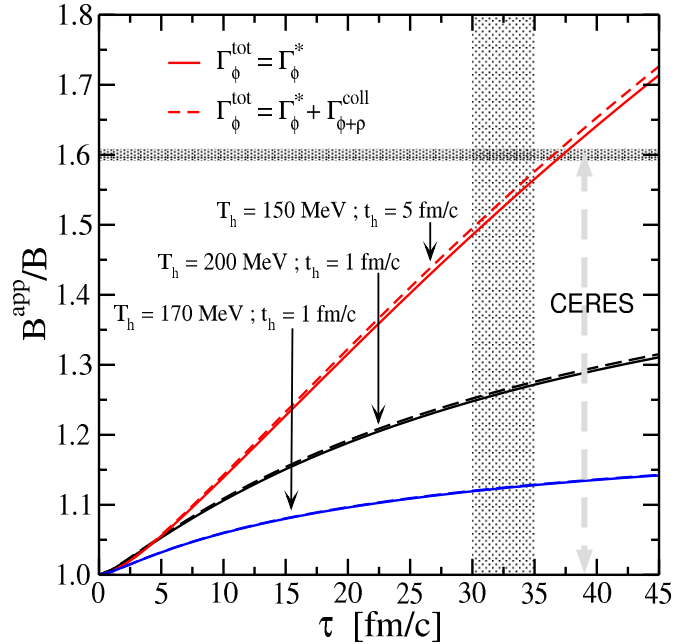


Fig. 2. Ratio between the apparent and vacuum dilepton branchings B^{app}/B versus the ϕ meson's escape time τ (solid curves). The dashed curves correspond to the case in which an additional collisional broadening in the phi meson width is taken into account (see right panel of fig. 1). The vertically hatched area corresponds to a region around a τ value of ≈ 32 fm/c predicted by transport calculations for RHIC conditions. The horizontally hatched band at $B^{app}/B = 1.6$ indicates the upper limit of the enhancement factor according to the observations of the CERES Collaboration at SPS (see discussion below).

culation an initial temperature of $T_h = 200$ MeV and a corresponding time of $t_h = 1$ fm/c leading to a fast cooling behaviour of the expanding fireball. In this quasi extreme scenario, we find that the phi meson yield from the dilepton channel is only slightly higher by a factor of about 1.25 than that from the $K\bar{K}$ channel – at least in the physically interesting τ region. According to transport calculations, the term $\exp(-\tau \Gamma_\phi)$ is of the order $\sim 1/2$ at RHIC energies [22], *i.e.* $\tau \sim 32$ fm/c. Therefore, the ex-

pected region of physical interest is depicted in fig. 2 as vertically hatched area. The B^{app}/B ratio from a model calculation with practically the same fast cooling, but a smaller and therefore more realistic hadronization temperature of $T_h = 170$ MeV according to transition temperatures obtained from 2-flavour lattice QCD [23] is even essentially smaller, because the interval of the temperature integration is shrunk. The consequences of a larger hadronization time are also depicted in fig. 2. With a value of $t_h = 5$ fm/c, the temperature of the expanding hadronic fireball decreases much slower compared to the previous parametrizations. In this case, the in-medium effects influence the ratio between the apparent and the vacuum dilepton branchings B^{app}/B in a much stronger manner, that overcompensates the (converse) effect of an even smaller hadronization temperature $T_h = 150$ MeV according to transition temperatures obtained from 3-flavour lattice QCD [23]. The enhancement factor in the latter scenario turns out to be about 1.5 – 1.6 in the region around a τ value of ≈ 32 fm/c.

Nevertheless, all these values are in qualitative agreement with the observations of the CERES Collaboration at SPS energies, who excludes an enhancement factor larger than 1.6 at 95% CL¹, and contrasts the strong enhancement factor of 2–4 resulting from the comparison between the yields measured for the $\mu^+\mu^-$ and K^+K^- channels by the NA50 and NA49 Collaborations respectively. Well, a large enhancement of that magnitude is still not totally excluded within the simplified view of a Bjorken scenario, that assumes only a longitudinally expanding medium. We want to emphasise once more that the question, how fast the temperature of the hadronic fireball decreases, seems to be very crucial. A more realistic description taking additionally a transversal expansion into account might promote a fast cooling scenario, that tends to result in not so strong enhancement factors. The exclusion of a large enhancement due to in-medium effects and kaon collisional broadening in heavy ion collisions at RHIC energies results also from multi-phase transport calculations. In particular, the production of ϕ mesons reconstructed from dikaon and dilepton decays has been investigated in ref. [9] for central Au+Au collisions at a RHIC energy of $\sqrt{s_{NN}} = 130$ GeV. There have been included density dependent in-medium modifications of kaon masses derived from a chiral effective Lagrangian and a linear decrease of the ϕ mass according to a scaling law $m_\phi^* \approx m_\phi(1 - \alpha\rho/\rho_0)$, with $\alpha = 0.0255$ and the normal nuclear matter density ρ_0 . It was found that the ϕ meson yield from the dilepton channel is about 1.5 times larger than that from the K^+K^- channel in the absence of additional ϕ meson production due to the formation of an initial partonic stage.

The idea of a ϕ meson which decouples easily from the hadronic fireball is widely diffused, as a consequence of the small cross section for its scattering with non-strange hadrons. However, available calculations give contradictory results [24,25,26,27]. Whereas some of them support

this idea [24,25,26], a calculation based on a Hidden Local Symmetry Lagrangian shows that the collision rates of the ϕ meson in a hot hadronic matter of pseudo-scalar (π , K) and vector mesons (ρ , ω , K^* , ϕ) is rather large [27] and dominated at temperatures between 150 MeV and 200 MeV by the K^* followed by K and ρ contributions, while the contributions from π , ω and ϕ are smaller. The corresponding ϕ mean free path at temperatures above 170 MeV is between 2.4 fm and 1 fm, and therefore considerably smaller than the typical size of the hadronic system created in heavy ion collisions ($\sim 10 - 15$ fm). This would imply that most ϕ mesons produced after the hadronization would not leave the hadronic system without scattering. It was found, that reactions changing the number of ϕ mesons account for more than 80% of the total collision rate, so that at the early stage of the expansion, when the effect of the decay is negligible, the collision rate is mainly responsible for the decrease of the ϕ number with respect to its value at the hadronization.

Since a pion gas is only the first approximation to the hadronic final state of a relativistic heavy ion collision one can estimate the stability of the present investigations by the inclusion of the $\phi + \rho \rightarrow K\bar{K}$ channel, *i.e.* the next important channel which gives – according to the results in ref. [27] – rise to in-medium modifications of the $\phi \rightarrow K\bar{K}$ decay. However, in contrast to the influence of the pion gas [17] we consider the contributions from the ρ mesons in a phenomenological way: following ref. [27] the collisional width $\Gamma_{\phi+\rho}^{coll}$ due to the scattering of ϕ 's on ρ mesons is added to the in-medium width Γ_ϕ^* from the interaction with the pions. To do so we extrapolated the results of ref. [27] imposing the boundary condition $\Gamma_{\phi+\rho}^{coll} = 0$ at $T = 0$ as well as a fast decrease to zero for $T \rightarrow 0$ and calculated the apparent dilepton branching ratio using this time a total ϕ meson width equal to $\Gamma_\phi^{tot} = \Gamma_\phi^* + \Gamma_{\phi+\rho}^{coll}$. Fig. 1 shows the obtained total ϕ meson width Γ_ϕ^{tot} as a function of temperature. Obviously in a very high but narrow temperature range, the $\phi + \rho$ collision rate dominates on the in-medium ϕ decay width. When the system cools down, the additional rate drops fast and becomes negligible compared to Γ_ϕ^* in the lower temperature domain.

Fig. 2 depicts also the corresponding ratios B^{app}/B with comparison to their values obtained when the collisional broadening due to ρ mesons is neglected. As one can easily see, the introduction of a collisional broadening does not significantly influence the apparent dilepton branching ratio. The increase of the total ϕ width reduces simultaneously the ϕ decays into dileptons as well as the number of ϕ mesons reconstructed via the $K\bar{K}$ decay channel. The two reduction factors turn out to be comparable in magnitude, so that at the end the ratio B^{app}/B is only very slightly additionally enhanced. This fact is retained for all of the three parametrizations being under consideration. Furthermore, this fact demonstrates that for the present purpose the fireball expansion after hadronization can safely be described by an expanding pion gas. The reason is simply that the integration over the entire space-time volume of the expanding system is

¹ The ϕ yields in the leptonic and the hadronic channel published in ref. [10] result in a ratio B^{app}/B of 1.0 ± 0.31 (stat) ± 0.28 (syst), *i.e.* a maximum value of about 1.6 (upper limit).

dominated by the lower temperatures where the heavier mesons are suppressed by their Boltzmann factors.

4 Summary and conclusions

We have investigated the role of the rescattering of secondary kaons inside pionic matter on the apparent dilepton branching ratio of the ϕ meson in heavy ion collisions at RHIC energies, taking into account in-medium mass modifications and broadening of kaons and ϕ mesons in an isotopically symmetric hot pion gas. We have found within the framework of a Bjorken scenario for the temporal evolution of the expanding hadronic fireball that the ϕ meson yield reconstructed from the dilepton channel is only by a factor between about 1.1 and 1.6 higher than that reconstructed from the kaon-antikaon channel. We have demonstrated that the magnitude of this enhancement depends also on the question, how slowly the temperature of the pionic medium decreases. Nevertheless, for reasonable parametrizations of the cooling scenario, our results agree quantitatively well with recent observations of the CERES Collaboration at CERN SPS energies. The inclusion of further in-medium effects through the addition of a possible collisional broadening in the ϕ meson in-medium width does not change considerably our results. For heavy ion collisions at RHIC energies, only preliminary results on the ϕ meson yield measured via the two decay channels are available up to now. The errors in the dilepton channel are unfortunately still too large for a definitive statement. Future data from RHIC will help bring more insight into the meson propagation in a dense and hot medium.

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